

1. If all a'_{ji} , all b'_i , and f_2, \dots, f_n are all positive, then at most one pivot is needed to reach an optimal solution.

SOLUTION: T If the tableau is not already optimal, then a positive multiple of the pivot row will be added to the objective row, making the pivot column entry 0 in the objective row, and keeping all other objective row entries ≥ 0 .

2. If $b'_i \geq 0$ for $i = 1, \dots, m$, then the simplex method will lead to an optimal solution in finitely many steps, provided that such a solution exists and that Bland's Rule is used whenever a degenerate tableau is encountered.

SOLUTION: T

3. The value of z_0 strictly increases from one tableau to the next, whenever the simplex method is followed.

SOLUTION: F Not if $b'_i = 0$ for the departing variable.

4. Every row of every tableau, including the objective row, corresponds to an equation which is satisfied by all feasible solutions.

SOLUTION: T

5. The equation corresponding to the obj. row is $f_1x_1 + f_2x_2 + \dots + f_nx_n = z_0$.

SOLUTION: F It's $z + f_1x_1 + f_2x_2 + \dots + f_nx_n = z_0$.